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An Index-Based Short-Form of the WISC-IV with Accompanying Analysis of the  
Reliability and Abnormality of Differences

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Abstract

**Objectives:** To develop an Index-based, seven subtest, short-form of the WISC-IV that offers the same comprehensive range of analytic methods available for the full-length version

**Design and Methods:** Psychometric

**Results:** The short-form Indexes had high reliability and criterion validity. Scores are expressed as Index scores and as percentiles. Methods are provided that allow setting of confidence limits on scores, and analysis of the reliability and abnormality of Index score differences. The use of the short-form is illustrated with a case example. A computer program (that automates scoring and implements all the analytical methods) accompanies this paper and can be downloaded from the following web address: [http://www.abdn.ac.uk/~psy086/dept/sf\\_wisc4.htm](http://www.abdn.ac.uk/~psy086/dept/sf_wisc4.htm).

**Conclusions:** The short-form will be useful when pressure of time or client fatigue precludes use of a full-length WISC-IV. The accompanying computer program scores and analyzes an individual's performance on the short-form instantaneously and minimizes the chance of clerical error

Keywords: Short-forms; WISC-IV; Profile analysis; Automated scoring

## INTRODUCTION

Like its predecessors, the Wechsler Intelligence Scale for Children fourth edition (WISC-IV; Wechsler, 2003a) continues to serve as a workhorse of cognitive assessment in clinical research and practice. Time constraints and potential problems with patient fatigue mean that a short-form version of the WISC-IV is often required. Four principal approaches to the development of short-forms can be delineated. In the Satz-Mogel approach (e.g., Satz & Mogel, 1962), which is perhaps the most radical method, all subtests are administered but every second or third test item is omitted. It could be argued that this is a wasteful approach because all subtests are not created equal: some are more reliable, valid, and practical indicators of the ability dimensions or factors that underlie WISC-IV performance. Thus, when time is limited, there is a case for focusing on these subtests rather than spreading effort widely but thinly.

The three remaining approaches all omit subtests but differ in how the short-form is constructed. Probably the most widely adopted approach is to prorata omitted subtests (i.e., substitute the mean score on those subtests administered for those omitted) and thereafter proceed as though the full-length version had been given. Yet another alternative is to build regression equations to predict full-length IQs or Index scores from a subset of the subtests (Crawford, Allan, & Jack, 1992; Reynolds, Willson, & Clark, 1983).

The fourth approach, and the one adopted here, is that originally proposed by Tellegen and Briggs (1967); see also Atkinson (1991) for an example of its application to the WAIS-R, and Crawford, Allum and Kinion (2008a) for its application to the WAIS-III. With this approach, the subtests selected for the short-form are combined into composites and the composite scores transformed to an IQ metric (i.e., mean 100 and standard deviation 15). Thus the aim is not to predict

full-length IQs or Indexes but to treat the composites as free standing measures of ability. This does not mean that criterion validity is necessarily ignored: for example, subtests could be selected to maximize the correlation between the short-form IQ or Indexes and their full-length counterparts.

This latter approach has a very significant advantage: it is relatively simple to provide all the additional information required to conduct the same forms of quantitative analysis on the short-form scores as is available for the full-length WISC-IV (Crawford et al., 2008a). This is in marked contrast to the other methods of forming short-forms. Taking prorating as an example: the reliability of prorated IQs or Indexes will differ from their full-length counterparts, thereby invalidating the use of confidence intervals on scores derived from the full-length version. The differences in reliabilities also invalidate the use of the tabled values in the WISC-IV manual (Table B.1) when attempting to test for reliable differences between a child's Index scores. Moreover, for the full-length WISC-IV, analysis of the abnormality of differences among a child's Index scores can be conducted using a table of the base rates for differences in the standardization sample (Table B.2). The use of this table with prorated scores is questionable because (a) the correlations between the prorated Indexes will differ from their full-length counterparts, and (b) these correlations determine the level of abnormality of any differences (Crawford, Garthwaite, & Gault, 2007). With the approach used in the present study all of these problems are overcome by calculating the reliabilities and intercorrelations of the indexes from the statistics of the subtests contributing to them.

Turning now to the selection of subtests for the short-form, the primary consideration was that the short-form should provide index scores as well as a short-form Full Scale IQ. Index scores reflect the underlying factor structure of the

WISC-IV and therefore have high construct validity. So that there would be significant time savings when using the short-form we limited it to seven subtests: there were two indicators each for three of the WISC-IV indexes and one for the Working Memory (WM) Index.

Vocabulary and Similarities were selected for the Verbal Comprehension (VC) Index: Vocabulary is highly reliable and has the highest loading on the verbal comprehension factor (Wechsler, 2003a), Similarities has a slightly lower loading on the verbal comprehension factor than Comprehension (0.74 versus 0.78 averaged over all ages) but is more reliable (0.86 versus 0.81 averaged over all ages) (Wechsler, 2003a) and is a useful measure of the ability to engage in basic abstract verbal reasoning. Block Design and Matrix Reasoning were selected for the Perceptual Reasoning (PR) Index: these subtests have higher reliabilities and higher loadings on the perceptual reasoning factor than Picture Concepts.

Selection of subtests for the remaining two indexes is more contentious (in particular the choice of two subtests for Processing Speed and one for Working Memory rather than the other way round) and it may be that other neuropsychologists would favour an alternative selection. The selection was largely based on the practical problems experienced with Letter-Number Sequencing (in our experience many children encountered in clinical practice find it confusing). Thus Digit Span was used as the sole subtest for the Working Memory Index (these two subtest have equivalent loadings on the working memory factor), and both Processing Speed subtests (Coding and Symbol Search) were used for the Processing Speed Index.

The methods used to build and analyze the short-form follow those developed by Crawford et al. (2008a) for the WAIS-III. A reasonable amount of technical detail is provided because we considered it important that potential users of the short-form

should be fully informed of the methods that underlie the results it provides. In addition, the level of detail is such that the methods could readily be adopted by others to create alternative WISC-IV short-forms. Finally, this paper contains all the information required to score and conduct a basic analysis of a child's short-form scores. However, we have also developed a computer program to automate this process. The program provides a convenient alternative to hand scoring and reduces the chance of clerical error. It also provides some additional analysis options (see later section for details).

## METHOD and RESULTS

### Building the index-based short-form

The first step in developing short-forms of the indexes is to determine the means and standard deviation of the composites. The means are obtained simply by multiplying the number of subtests in each composite by 10 (the mean of an individual WISC-IV subtest); thus, for the Verbal Comprehension composite, the mean is 20, and for FSIQ, the mean is 70. The standard deviation of a composite is a function of the standard deviations of the individual components (i.e., the subtests) and their intercorrelations (the WISC-IV subtest correlation matrix is presented in Table 5.1 of the technical and interpretive manual). The simplest way of obtaining this standard deviation is to form a variance-covariance matrix (the covariance is obtained by multiplying each correlation by the standard deviations of the relevant pairs of components; in the present case, because the subtests have a common standard deviation of 3, the correlation is simply multiplied by 9). For example, from the WISC-IV technical and interpretive manual, the correlation between Vocabulary and Similarities is 0.74 and thus the covariance is 6.66. The sum of the elements in

this variance-covariance matrix ( $9 + 6.66 + 9 + 6.66 = 31.32$ ) is the variance of the composite and by taking the square root of this we obtain the standard deviation of the composite (5.596 in this case).

The means and standard deviations of the five composites are presented in Table 1, note that the Working Memory “composite” consists only of Digit Span and thus the mean and standard deviation are simply 10 and 3 respectively. Note that this table also reports the equivalent statistics for the short-form FSIQ and for a further index, the General Ability Index (GAI); discussion of this latter index is deferred until a later section.

Having obtained the means and standard deviations of the composites, we now have the constants required to be able to transform each of the composite scores to have a mean and standard deviation of 100 and 15 respectively. The generic formula is

$$X_{\text{new}} = \frac{s_{\text{new}}}{s_{\text{old}}} (X_{\text{old}} - \bar{X}_{\text{old}}) + \bar{X}_{\text{new}}, \quad (1)$$

where  $X_{\text{new}}$  = the transformed score,  $X_{\text{old}}$  = the original score,  $s_{\text{old}}$  = the standard deviation of the original scale,  $s_{\text{new}}$  = the standard deviation of the scale you wish to convert to,  $\bar{X}_{\text{old}}$  = the mean of the original scale, and  $\bar{X}_{\text{new}}$  = the mean of the scale you wish to convert to.

Thus for example, if the sum of a child’s subtest scores on Vocabulary and Similarities is 15 then the short-form VC Index score is 87 after rounding. Formula (1) was used to generate the tables for conversion of the sums of subtest scores to short-form index scores and FSIQs (Tables 2 to 6) and is also used in the computer program that accompanies this paper. For the full-length indexes, scores are also expressed as percentiles. Therefore, in keeping with the aim of providing equivalent

information for the short-form indexes, percentile norms are also presented in Tables 2 to 6 and are provided by the computer program. To express the scores as percentiles, index scores were expressed as  $z$ , and the probabilities corresponding to these quantiles multiplied by 100. Thus for example, the  $z$  for an index score of 115 is +1.0 and the score is thus at the 84<sup>th</sup> percentile. In Tables 2 to 6 percentiles are expressed as integers unless the index score is very extreme (i.e., below the 1<sup>st</sup> or above the 99<sup>th</sup> percentile) in which case they are presented to one decimal place.

#### Reliabilities and standard errors of measurement for the short-form indexes

In order to set confidence limits on a child's score on the short-form indexes, and to test whether a child exhibits reliable differences between her/his short-form index scores, it is necessary to obtain the standard error of measurement for each short-form index. To obtain this statistic we first need to obtain the reliability of the short-form indexes. Of course the reliability of the short-form is also an important piece of information in its own right; measures with low reliability should be avoided, particularly when the concern is with assessing an *individual* child's performance (Crawford, 2004).

When, as in the present case, the components have equal means and standard deviations, and are given equal weights in determining the composite score, the reliability of a composite is a simple function of the reliabilities of the components (i.e., subtests) and their intercorrelations (the higher the intercorrelations between components, the higher the reliability of the composite). The formula is

$$r_{YY} = 1 - \frac{k - \sum r_{XX}}{\bar{R}_Y}, \quad (2)$$

where  $k$  = the number of components,  $r_{XX}$  are the reliabilities of the components and

$\bar{R}_y$  is the sum of elements of the correlation matrix for the components (including the unities in the diagonal).

The reliabilities of the short-form indexes calculated by this method are presented in Table 1; the reliabilities of the corresponding full-length indexes are also presented for comparison purposes (these latter reliabilities are from Table 4.1 of the WISC-IV technical manual). It can be seen that the reliabilities of the short-form indexes are all very high and, with the exception of Working Memory, only marginally lower than the reliabilities of their full-length equivalents (the very modest reduction in reliability when moving from a full-length to short-form index can be attributed to the fact that those subtests selected for inclusion in the short-form had, in most cases, higher reliabilities and higher intercorrelations than those omitted).

Having obtained the reliabilities of the short-form indexes, the next stage is to calculate their standard errors of measurement. The formula for the standard error of measurement is

$$SEM_x = s_x \sqrt{1 - r_{xx}} , \quad (3)$$

where  $s_x$  is the standard deviation of the index scores and is therefore 15. The standard errors of measurement for the short-form indexes are presented in Table 1. In the present case we also compute and report (Table 1) the standard errors of measurement for scores expressed on a true score metric (see the WISC-IV technical manual for the required formula required and for further technical details). These two forms of standard errors will be used to provide alternative means of (a) setting confidence limits on index scores, and (b) testing for reliable differences between index scores (see later).

Intercorrelations of the short-form indexes and correlations with their full-length equivalents

When attempting to detect acquired impairments, it is important to quantify the degree of abnormality of any differences in a child's index score profile. Quantifying the abnormality of differences requires the standard deviation of the differences between each of the indexes, which in turn, requires knowledge of the correlations between the indexes. These correlations can be calculated from the matrix of correlations between the subtests contributing to the indexes from the formula.

$$r_{XY} = \frac{\bar{\mathbf{R}}_{XY}}{\sqrt{\bar{\mathbf{R}}_X} \sqrt{\bar{\mathbf{R}}_Y}}, \quad (4)$$

where  $\bar{\mathbf{R}}_{XY}$  is the sum of the correlations of each variable in composite  $X$  (e.g., the VC short-form) with each variable in composite  $Y$  (e.g., the PR short-form), and  $\bar{\mathbf{R}}_X$  and  $\bar{\mathbf{R}}_Y$  are the sums of the full correlation matrices for each composite. Applying this formula, the correlations between the short-form indexes were as follows: VC with PR = 0.60; VC with WM = 0.43; VC with PS = 0.42; PR with WM = 0.42; PR with PS = 0.50; WM with PS = 0.30.

The formula for the correlation between composites is flexible in that it can be used to calculate the correlation between two composites when they have components in common; the components common to both are entered into the within-composite matrices ( $\mathbf{R}_X$  and  $\mathbf{R}_Y$ ) for both composites. This means that the formula can also be used to calculate the correlation between each short-form index and its full-length equivalent; such correlations are criterion validity coefficients. These correlations are presented in Table 1, from which it can be seen that all correlations are very high. They range from 0.86 for Working Memory to 1 for Processing Speed (Processing Speed only consists of two subtests and both are used in the short-form); note also

that the correlation between the short-form FSIQ and full-length FSIQ is also very high (0.99).

#### Confidence intervals on short-form index scores

Confidence limits on test scores are useful because they serve the general purpose of reminding users that test scores are fallible (they counter any tendencies to reify the score obtained) and serve the very specific purpose of quantifying this fallibility (Crawford, 2004). For the full-length WISC-IV, confidence intervals for index scores are true score confidence intervals and are centered on estimated true scores rather than on a child's obtained scores (Glutting, Mcdermott, & Stanley, 1987). For consistency the same approach to setting confidence intervals is made available for the short-form indexes. These confidence limits on true scores appear in brackets in Tables 2 to 6; the limits without brackets in these tables are based on the traditional approach described next.

The traditional approach (Charter & Feldt, 2001) to obtaining confidence limits for test scores expresses the limits on an obtained score metric and centers these on the child's obtained score rather than estimated true score. To form 95% confidence limits the standard error of measurement (formula 3) for each index is multiplied by a  $z$  value of 1.96. Subtracting this quantity from the child's obtained score ( $X_0$ ) yields the lower limit and adding it yields the upper limit. That is

$$CI = X_0 \pm z(SEM). \quad (5)$$

To obtain 90% confidence limits simply requires substitution of a  $z$  of 1.645 for 1.96. The accompanying computer program offers a choice of 95% or 90% limits; for reasons of space the tabled values (Tables 2 to 6) are limited to 95% limits.

We offer these alternative "traditional" confidence limits because of criticisms

of the Glutting et al true score method made by Charter and Feldt (2001). For discussion of the differences between obtained and estimated true score limits see Charter and Feldt (2001), Crawford and Garthwaite (2009) and Crawford, Allum and Kinion (2008a).

#### Percentile confidence intervals on short-form index scores

All authorities on psychological measurement agree that confidence intervals should accompany test scores. However, it remains the case that some psychologists do not routinely record confidence limits. There is also the danger that others will dutifully record the confidence limits but that, thereafter, these limits play no further part in test interpretation. Thus it could be argued that anything that serves to increase the perceived relevance of confidence limits should be encouraged. Crawford and Garthwaite (2009) have recently argued that expressing confidence limits as percentile ranks will help to achieve this aim (they also provided such limits for the full-length WISC-IV).

Expressing confidence limits on a score as percentile ranks is very easily achieved: the standard score limits need only be converted to  $z$  and the probability of  $z$  (obtained from a table of areas under the normal curve or algorithmic equivalent) multiplied by 100. For example, suppose a child obtains a score of 84 on the short-form Verbal Comprehension Index (the score is therefore at the 14<sup>th</sup> percentile): using the traditional method of setting confidence limits on the lower and upper limits on this score (76 and 92) correspond to  $z$ s of  $-1.60$  and  $-0.53$ . Thus the 95% confidence interval, with the endpoints expressed as percentile ranks, is from the 5<sup>th</sup> percentile to the 30<sup>th</sup> percentile.

The WISC-IV manual does not report confidence intervals of this form.

However, as Crawford and Garthwaite (2009) argue, such limits are more directly meaningful than standard score limits and offer what is, perhaps, a more stark reminder of the uncertainties involved in attempting to quantify an individual child's level of cognitive functioning. The lower limit on the percentile rank in the foregoing example (the lower limit is at the 5<sup>th</sup> percentile) is clearly more tangible than the Index score equivalent (76) since this latter quantity only becomes meaningful when we know that 5% of the normative population is expected to obtain a lower score.

In view of the foregoing arguments, the computer program that accompanies this paper provides conventional confidence intervals but supplements these with confidence intervals expressed as percentile ranks. Because of pressure of space, the conversion tables (Tables 2 to 6) do not record these latter intervals.

#### Testing for reliable differences among a child's index scores

Children will usually exhibit differences between their Index scores on the short-form. A basic issue is whether such differences are reliable; that is, are they large enough to render it unlikely that they simply reflect measurement error. In passing, note that difference scores derived from cognitive tests are usually markedly less reliable than their components, particularly when the components are highly correlated; see Crawford, Garthwaite, and Sutherland (2008b) for further details and discussion.

The standard error of measurement of the difference ( $SEM_D$ ) is used to test for reliable differences between scores. The formula is

$$SEM_D = \sqrt{SEM_x^2 + SEM_y^2}, \quad (6)$$

where  $SEM_x$  and  $SEM_y$  are the standard errors of measurement obtained using formula (3). The standard errors of measurement of the difference for each pair of

indexes are presented in Table 7. To obtain critical values for significance at various  $p$  values, the  $SEM_D$  is multiplied by the corresponding values of  $z$  (a standard normal deviate); for example, the  $SEM_D$  is multiplied by 1.96 to obtain the critical value for significance at the 0.05 level (two-tailed). The differences observed for a child are then compared to these critical values. Critical values for significance at the .15, .10, .05, and .01 level (two-tailed) are recorded in Table 8 for each of the six possible pairwise comparisons between short-form indexes. For example, suppose that a child obtained subtest scores of 11 on both Vocabulary and Similarities (yielding an index score of 105) and scores of 9 and 8 on Block Design and Matrix Reasoning (yielding a PR index score of 91). Thus there is a difference of 14 points between VC and PR. From Table 8 it can be seen that this is a reliable difference at the 0.05 level, two-tailed (the critical value is 11.50). Note that this result is also a testament to the reliabilities of the short-form indexes: the difference in raw scores is relatively modest but the difference is reliable even on a two-tailed test.

A closely related alternative to the use of these critical values is to divide an observed difference by the relevant  $SEM_D$ , the resultant value is treated as a standard normal deviate and the precise probability of this  $z$  can be obtained (e.g., from tables of areas under the normal curve or a statistics package). To continue with the previous example: for a difference of 14 points,  $z$  is approximately 2.39 and the corresponding two-tailed probability is approximately 0.016. This latter approach is implemented in the computer program that accompanies this paper (these data are not presented in the present paper because they would require voluminous tables).

Note that the critical values in Table 8 are two-tailed. If a psychologist has, a priori, a directional hypothesis concerning a specific pair of indexes they may prefer to perform a one-tailed test. The computer program provides one- and two-tailed

values; those who choose to work from the tables should note that the critical values for the 0.10 level of significance two-tailed also serve as critical values for a one-tailed test at the 0.05 level.

Both of these foregoing methods test for a reliable difference between *obtained* scores. Some authorities on test theory (Silverstein, 1989; Stanley, 1971) have argued that such an analysis should instead be conducted using estimated true scores (see Crawford, Henry, Ward, & Blake, 2006 for a recent example). The general approach is the same as that outlined above for observed scores, except that interest is in the difference between a child's estimated true scores (these can be found in Tables 2 to 6) and it is the standard error of measurement of the difference between true scores that is used to test if this difference is reliable. The formula for this latter standard error is

$$SEM_{Dt} = \sqrt{SEM_{Xt}^2 + SEM_{Yt}^2} . \quad (7)$$

These standard errors are reported in Table 7 and critical values for the difference between estimated true Index scores are presented in Table 8. Just as is the case for differences between obtained scores, an alternative is to divide the difference between estimated true scores by the relevant  $SEM_{Dt}$  and calculate a probability for the  $z$  thereby obtained (this is the method used by the computer program that accompanies this paper).

#### Bonferroni correction when testing for reliable differences between index scores

Multiple comparisons are usually involved when testing if there are reliable differences between a child's index scores (as noted, there are six possible pairwise comparisons). Thus, if all comparisons are made, there will be a marked inflation of the Type I error rate. Although neuropsychologists will often have an a priori

hypothesis concerning a difference between two or more particular Index scores, it is also the case that often there is insufficient prior information to form firm hypotheses. Moreover, should a psychologist wish to attend to a large, unexpected, difference in a client's profile then, for all intents and purposes, they should be considered to have made all possible comparisons.

One possible solution to the multiple comparison problem is to apply a standard Bonferroni correction to the  $p$  values. That is, if the family wise (i.e., overall) Type I error rate ( $\alpha$ ) is set at 0.05 then the  $p$  value obtained for an individual pairwise difference between two indexes would have to be less than  $0.05/6 =$  to be considered significant at the specified value of alpha. This, however, is a conservative approach that will lead to many genuine differences being missed.

A better option is to apply a *sequential* Bonferroni correction (Larzelere & Mulaik, 1977). The first stage of this correction is identical to a standard Bonferroni correction. Thereafter, any of the  $k$  pairwise comparisons that were significant are set aside and the procedure is repeated with  $k - l$  in the denominator rather than  $k$ , where  $l =$  the number of comparisons recorded as significant at any previous stage. The process is stopped when none of the remaining comparisons achieve significance. This method is less conservative than a standard Bonferroni correction but ensures that the overall Type I error rate is maintained at, or below, the specified rate.

This sequential procedure can easily be performed by hand but, for convenience, the computer program that accompanies this paper offers a sequential Bonferroni correction as an option. Note that, when this option is selected, the program does not produce exact  $p$  values but simply records whether the discrepancies between indexes are significant at the .05 level after correction.

### Abnormality of differences between indexes

When attempting to detect acquired impairments, it is important to quantify the degree of abnormality (the rarity) of any differences in a child's index score profile (that is, it is important to know what percentage of the normative population are expected to exhibit larger differences). In order to estimate the abnormality of a difference between index scores it is necessary to calculate the standard deviation of the difference between each pair of indexes. When, as in the present case, the measures being compared have a common standard deviation, the formula for the standard deviation of the difference is

$$SD_D = s\sqrt{2 - 2r_{XY}}, \quad (8)$$

where  $s$  is the common standard deviation (i.e., 15 in the present case) and  $r_{XY}$  is the correlation between the two measures<sup>1</sup>.

The standard deviations of the difference for the six pairings of index scores are presented in Table 7. To calculate the size of difference between index scores required for a specified level of abnormality the standard deviation of the difference for each pair of indexes was multiplied by values of  $z$  (standard normal deviates). The differences required to exceed the differences exhibited by various percentages of the normative population are presented in Table 9. Two sets of percentages are listed – the first column records the size of difference required regardless of sign, the second column records difference required for a directional difference. To illustrate, suppose a child obtains scores of 116 and 91 on the VC and PR indexes respectively; the difference between the Index scores is therefore 25 points. Ignoring the sign of the

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<sup>1</sup> Note that this is an asymptotic method. That is, it does not consider the uncertainties involved in estimating the population mean and SD from normative sample data. Given the large size of the WISC-IV standardization sample its use is justifiable here. See Crawford and Garthwaite (2005) or Crawford and Garthwaite (2007) for a discussion of these issues and for optimal methods for normative samples with more modest  $N$ s.

difference, it can be seen from Table 9 that this difference is larger than that required (23) to exceed all but 10% of the population but is not large enough to exceed all but 5% of the population (difference required = 27 points). If the concern is with the percentage of the population expected to exhibit a difference *in favour* of VC, it can be seen that this difference is larger than that required (23) to exceed all but 5% of the population but is not large enough to exceed all but 1% (difference required = 32 points).

A closely related alternative to the approach outlined to is to divide an observed difference by the standard deviation of the difference and refer the resultant  $z$  ( $z_D$ ) to a table of areas under the normal curve (or algorithmic equivalent) to obtain a precise estimate of the percentage of the population expected to exhibit this large a difference. To continue with the current example, it is estimated that 6.77% of the population would exhibit a difference of 25 points between VC and PR regardless of the sign of the difference and that 3.39% would exhibit a difference of 25 points in favour of VC. This latter approach is that used in the computer program that accompanies the present paper (as was the case for reliable differences, these data are not presented in the present paper because they would require voluminous tables).

The methods used here to estimate the abnormality of differences between Index scores assumes that each pair of indexes follows a bivariate normal distribution. This statistical approach differs from the empirical approach used to estimate the abnormality of differences between indexes for the full-length WISC-IV. In the latter case the abnormality of differences are estimated by referring to a table (Table B.2) of the base rates of differences observed in the WISC-IV standardization sample.

The aim with either approach is to estimate the percentage of the normative *population* that will exhibit a larger difference than that observed for the case in hand

and thus *both* methods provide only *estimates* of the true abnormality of the difference. The developers of the WISC-IV preferred to base estimates of abnormality on directly observed differences in the standardization sample. On the other hand, the base rate data will reflect any (presumably minor) departures from normality (i.e., “bumps and wiggles”) in the distribution of differences in the standardization sample, whereas the statistical approach will smooth these out.

A further difference between the two methods is that the estimates of abnormality provided by the statistical approach assumes that the integer-valued index scores represent underlying, smoothly continuous, real-valued scores, whereas the empirical approach does not make this assumption (in passing, note that a correction for continuity could be applied even when using the empirical approach). Opinions are liable to differ on whether the index scores should be treated as discrete or continuous. We favour the latter position, not least because most of the psychometric methods used with the WISC-IV make exactly this assumption (indeed the assumption of an underlying real-valued score is ubiquitous) and it is therefore consistent to apply it to the present problem; see Crawford, Garthwaite and Slick (2009) for a recent, more detailed, discussion of the pros and cons of this assumption in psychological measurement in general.

One limitation of the statistical approach is that, at present, it estimates the rarity of Index score differences for the normative population as a whole, whereas with the empirical approach it is possible to examine the abnormality of these differences at different IQ levels. When this is done (see the WISC-IV technical and interpretive manual) it reveals that index score differences are typically smaller at low levels of IQ and that index score differences are not necessarily symmetric at a given level of IQ.

As a reviewer of this paper suggested, it is important to set out the differences between the statistical and empirical approaches. However, such a discussion should not detract from the fact that, for the present problem (i.e., estimating the abnormality differences in the normative population as a whole), one would expect the results obtained from the two approaches to exhibit a good degree of convergence. That is, because (a) the WISC-IV standardization sample is large, and (b) the standardization process should produce a multivariate normal distribution for the indexes, the differences between the two approaches will be relatively minor (indeed, were the differences marked, this would indicate that the indexes are not multivariate normal and would call into question many of the other statistical procedures used to interpret the full-length version).

Percentage of the population expected to exhibit  $j$  or more abnormally low Index scores and  $j$  or more abnormally large index score differences

Information on the rarity or abnormality of test scores (or test score differences) is fundamental in interpreting the results of a cognitive assessment (Crawford, 2004; Strauss, Sherman, & Spreen, 2006). When attention is limited to a single test, this information is immediately available; if an abnormally low score is defined as one that falls below the 5<sup>th</sup> percentile then, by definition, 5% of the population is expected to obtain a score that is lower (in the case of Wechsler indexes, scores of 75 or lower are below the 5<sup>th</sup> percentile). However, the WISC-IV has four indexes and thus it would be useful to estimate what percentage of the normative population would be expected to exhibit at least one abnormally low Index score. This percentage will be higher than for any single Index and knowledge of it is liable to guard against over inference; that is, concluding impairment is present on the basis

of one “abnormally” low Index score if such a result is not at all uncommon in the general population. It is also useful to know what percentage of the population would be expected to obtain two or more, or three or more abnormally low scores; in general, it is important to know what percentage of the population would be expected to exhibit  $j$  or more abnormally low scores.

One approach to this issue would be to tabulate the percentages of the WISC-IV standardization sample exhibiting  $j$  or more abnormal index scores. However, such empirical base rate data have not been provided for the full-length WISC-IV indexes, far less for short-forms. Crawford, Garthwaite and Gault (2007) have developed a generic Monte Carlo method to tackle problems of this type and have applied it to full-length WISC-IV Index scores. That is, they produced estimates of the percentage of the population expected to exhibit  $j$  or more abnormally low Index scores for a variety of different definitions of abnormality. We used this method (which requires the matrix of correlations between the short-form Index scores) to generate equivalent base rate data for the present WISC-IV short-form: three alternative definitions of what constitutes an abnormally low score were employed: a score below the 15<sup>th</sup>, 10<sup>th</sup> or 5<sup>th</sup> percentile. The results are presented in Table 10a. If an abnormally low index score is defined as a score falling below the 5<sup>th</sup> percentile (this is our preferred criterion and hence appears in bold) it can be seen that it will not be uncommon for children to exhibit one or more abnormally low scores from among their four index scores (the base rate is estimated at 14.9% of the population); relatively few however are expected to exhibit two or more abnormally low scores (3.92%), and three or more abnormally low scores will be rare.

A similar issue arises when the interest is in the abnormality of pairwise differences between indexes; i.e., if an abnormally large difference between a pair of

indexes is defined as, say, a difference exhibited by less than 5% of the population, then what percentage of the population would be expected to exhibit one or more of such differences from among the six possible pairwise comparisons? The base rates for this problem can also be obtained using Crawford et al's. (2007) Monte Carlo method and are presented in Table 10b. To make use of these data users should select their preferred definition of abnormality, note how many index scores and /or index score differences are exhibited by their case and refer to Table 10 to establish the base rate for the occurrence of these numbers of abnormally low scores and abnormally large score differences. The computer program accompanying this paper makes light work of this process: the user need only select a criterion for abnormality. The program then provides the number of abnormally low scores and abnormally large differences exhibited by the case, along with the percentages of the general population expected to exhibit these numbers.

#### A global measure of the abnormality of a child's index score profile

Although not available for the full-length version of the WISC-IV, it would be useful to have a single measure of the overall abnormality of a child's profile of scores; i.e., a multivariate index that quantifies how unusual a particular combination of index scores is. One such measure was proposed by Huba (1985) based on the Mahalanobis distance statistic. Huba's Mahalanobis distance index (MDI) for the abnormality of a case's profile of scores on  $k$  tests is

$$\mathbf{x}'\mathbf{W}^{-1}\mathbf{x}, \quad (9)$$

where  $\mathbf{x}$  is a vector of  $z$  scores for the case on each of the  $k$  tests of a battery and  $\mathbf{W}^{-1}$  is the inverse of the correlation matrix for the battery's standardization sample (the method requires the covariance matrix but the correlation matrix is the covariance

matrix when scores are expressed as  $z$  scores). When this index is calculated for a child's profile it is evaluated against a chi-square distribution on  $k$  df. The probability obtained is an estimate of the proportion of the population that would exhibit a more unusual combination of scores.

This method has been used to examine the overall abnormality of an individual's profile of *subtest* scores on the WAIS-R (Burgess, 1991; Crawford, 1994). However, it can equally be applied to an individual's profile of *Index* scores; see Crawford et al. (2008a) for its application to the profile of short-form index scores on the WAIS-III. Indeed we consider this usage preferable given that research indicates that analysis at the level of Wechsler factors (i.e., indexes) achieves better differentiation between healthy and impaired populations than analysis of subtest profiles (Crawford, Johnson, Mychalkiw, & Moore, 1997). The Mahalanobis Distance Index was therefore implemented for the WISC-IV short-form: this index estimates the extent to which a child's combination of index scores, i.e., the profile of relative strengths and weaknesses, is unusual (abnormal). Note that it is not a practical proposition to calculate the MDI by hand, nor is it all practical to provide tabled values as there is a huge range of possible combinations of index scores. Therefore the MDI for a child's profile of index scores is provided only by the computer program that accompanies this paper.

#### A short-form General Ability Index

The General Ability Index (GAI) for the WISC-IV is a relatively recent introduction. The full-length GAI is a composite formed by summing scores on the three Verbal Comprehension and three Perceptual Reasoning subtests. That is, unlike the WISC-IV FSIQ, it does not include subtests from the Working Memory or

Processing Speed Indexes. It is assumed that psychologists who would make use of a short-form GAI are those who are already familiar with it and its potential applications in its full-length form.

A short-form GAI was formed using the sum of scaled scores on the Vocabulary, Similarities, Block Design, and Matrix Reasoning subtests. The psychometric methods employed to achieve this were those set out earlier for the four principal WISC-IV indexes and the FSIQ. The reliability of the short-form GAI was high (0.952; standard error of measurement = 3.286) and only marginally lower than its full-length equivalent (the reliability of the full-length GAI calculated by the present authors was 0.958). The correlation between the short-form GAI and the full-length GAI was also very high (0.97).

A table (directly equivalent to that for the short-form FSIQ) for converting sums of scaled scores on the four GAI subtests to short-form GAI Index scores can be downloaded from [http://www.abdn.ac.uk/~psy086/dept/GAI\\_Conversion\\_Table.htm](http://www.abdn.ac.uk/~psy086/dept/GAI_Conversion_Table.htm) (pressure of space prevents its inclusion in the present paper). Calculation of a short-form GAI is also included as an option in the computer program that accompanies this paper. The main supplementary information available for interpretation of the *full-length* GAI consists of tables allowing users to examine whether (a) individuals' GAI scores are reliably different from their FSIQ scores, and (b) whether these differences are abnormal. (See Tables F.2 and F.3 of the WISC-IV technical and interpretive manual). Equivalent information for the short-form GAI is presented in Table 8 (reliability of differences) and Table 9 (abnormality of differences) of the present paper.

Should index scores always be interpreted?

Flanagan and Kaufman (2004) have advised that, when there are large discrepancies between scores on the subtests contributing to an index, the index should not be interpreted. Thus they suggest that an index should not be used when the difference between any of the subtests contributing to it exceeds five scaled score points. Opinions are liable to be divided on the merits of this advice. Daniel (2007), for example, has demonstrated using simulation studies that the construct validity of a composite ability measure was maintained in the face of a high degree of scatter among components contributing to it. We currently do not apply the Flanagan and Kaufman (2004) rule in our own practice but it is desirable that other psychologists should (a) be aware of its existence, and (b) be alerted when an individual's scores violate it. The computer program that accompanies this paper does not prevent the calculation of index scores when subtest differences exceed five scaled score points but does issue a warning when this occurs.

#### A Computer Program for Scoring and Analyzing the Index-Based Short-form

As noted, a computer program for PCs (SF\_WISC4.EXE) accompanies this paper. The program implements all the procedures described in earlier sections. Although the paper contains all the necessary information to score and interpret a child's short-form index scores (with the exception of the MDI and the provision of percentile limits for the effects of measurement error), the program provides a very convenient alternative for busy neuropsychologists as it performs all the transformations and calculations (it requires only entry of the scaled scores on the subtests). The computer program has the additional advantage that it will markedly reduce the likelihood of clerical error. Research shows that neuropsychologists make many more simple clerical errors than we like to imagine (e.g., see Faust, 1998;

Sherrets, Gard, & Langner, 1979; Sullivan, 2000).

The program prompts for the scores on the seven subtests used in the short-form and allows the user to select analysis options. There is also an optional field for entry of user notes (e.g., date of testing, an ID for the child etc) for future reference.

The output first reproduces the subtest scores used to obtain the short-form Index scores, the analysis options selected, and user notes, if entered. Thereafter it reports the short-form index scores with accompanying confidence limits and the scores expressed as percentiles (plus percentile confidence limits). It also reports the same results for the short-form FSIQ, and the short-form GAI, if the former has been requested. This output is followed by the results from the analysis of the reliability and abnormality of differences between the child's index scores (including the base rates for the number of abnormal scores and score differences and the MDI of the abnormality of the index score profile as covered in the two preceding sections). If the default options are not overridden the program generates 95% confidence limits on obtained scores, and tests for a reliable difference between observed scores without applying a Bonferroni correction. When the option to calculate a short-form GAI has been selected, the output includes analysis of the reliability and abnormality of differences between the child's GAI and FSIQ.

All results can be viewed on screen, edited, printed, or saved as a text file. A compiled version of the program can be downloaded (as an executable file or as a zip file) from the following website address:

[www.abdn.ac.uk/~psy086/dept/sf\\_wisc4.htm](http://www.abdn.ac.uk/~psy086/dept/sf_wisc4.htm).

## Discussion

To illustrate the use of the foregoing methods and the accompanying computer program, suppose that a child (of high premorbid ability) who has suffered a traumatic brain injury obtains the following scaled scores on the seven subtests that comprise the short-form: Vocabulary = 13, Similarities = 12, Block Design = 12, Matrix Reasoning = 12, Digit Span = 6, Coding = 4, and Symbol Search = 5. Suppose also that the psychologist requests calculation of the General Ability Index (GAI), opts for 95% confidence limits (obtained using the traditional method) on obtained Index scores, chooses to examine the reliability of differences between observed (rather than estimated true index scores), opts not to apply a Bonferroni correction (as would be appropriate if they had a priori hypotheses concerning the pattern of strengths and weaknesses), and chooses to define an abnormally low index score (and abnormally large difference between index scores) as a difference exhibited by less than 5% of the normative population (these are the default options for the computer program).

The short-form index scores, accompanying confidence limits and percentiles for this case, obtained either by using Tables 2 to 6 or the computer program, are presented in Figure 1a (the results for FSIQ and the GAI are presented also). This figure presents the results much as they appear in the output of the accompanying computer program. Note that, in addition to the 95% limits on obtained scores, confidence limits are also expressed as percentile ranks. Examination of the index scores reveals that the child's index score on Processing Speed is abnormally low (it is at the 2<sup>nd</sup> percentile) and that Working Memory is also relatively low (the score is at the 9<sup>th</sup> percentile). It can be seen from Figure 1b that these two indexes are significantly (i.e., reliably) poorer than the child's scores on both the Verbal Comprehension and Perceptual Reasoning indexes. Thus, in this case, it is very unlikely that the differences between these indexes are solely the result of

measurement error; that is, there are genuine strengths and weaknesses in the child's profile.

This pattern is consistent with the effects of a severe head injury in a child of high premorbid ability (Anderson, Northam, Hendy, & Wrennall, 2001; Rourke, Fisk, & Strang, 1986). However, low scores and reliable differences on their own are insufficient grounds for inferring the presence of *acquired* impairments (Crawford & Garthwaite, 2005): a child of modest premorbid ability might be expected to obtain abnormally low scores, and many healthy children will exhibit reliable differences between their index scores. Therefore it is also important to examine the abnormality of any differences in the child's index score profile. In this case it can be seen from Figure 1c that the differences between the child's PS and WM index scores and VC and PR scores are abnormal: that is, it is estimated that few children in the general population would exhibit differences of this magnitude.

It can also be seen from Figure 1c that, applying the criterion that a difference (regardless of sign) exhibited by less than 5% of the population is abnormal, three of the child's differences are abnormal (i.e., VC vs. PS, VC vs. WM, and PR vs. PS). Application of Crawford et al's. (2007) Monte Carlo method reveals that few children in the normative population are expected to exhibit this number of abnormal differences (2.00%). Moreover, the MDI, which provides a global measure of the abnormality of the child's index score profile, is highly significant (Chi square = 13.059,  $p = 0.01099$ ). That is, the child's overall profile is highly unusual. The results of analyzing this child's scores converge to provide convincing evidence of marked acquired impairments in processing speed and working memory consistent with a severe head injury. The information obtained from an analysis such as this should then be combined with evidence from other testing, the history, and from clinical

observation to arrive at a formulation of the child's cognitive strengths and weaknesses and to draw out its implications for everyday functioning.

As the inputs for this example (i.e., the subtest scores) and outputs (Figure 1) are all provided, it may be useful for psychologists to work through this example (using either the tables or the accompanying program) prior to using the short-form with their own cases.

Finally, note that the WISC-IV (an ability measure) can be used in tandem with an achievement measure, the Wechsler Individual Achievement Test Second Edition (WIAT-II; Wechsler, 2002). The WISC-IV technical and interpretive manual (Wechsler, 2003b) presents a series of tables that allow a clinician to determine if differences between the five WIAT-II composite measures (Reading, Mathematics, Written Language, Oral Language, and Total Achievement) and WISC-IV FSIQ are (a) reliable and (b) abnormal. We suggest that these tables can also be used with the present WISC-IV short-form. The reliability of differences between the WISC-IV and WIAT-II composites is a function of the reliability of the two tests involved. The reliability of the short-form FSIQ (0.96) is almost indistinguishable from the reliability of the full-length FSIQ (0.97) and so it follows that the standard errors of the difference between the short-form FSIQ and the WIAT-II composites are also virtually indistinguishable from their full-length counterparts. Thus the existing tables of critical values can safely be used with the short-form FSIQ (the same applies to comparisons involving the short-form GAI).

Similarly, the abnormality of differences between the WISC-IV FSIQ and any WIAT-II composites is a function of the correlation between the two tests. As the correlation between full-length FSIQ and short-form FSIQ was very close to unity (0.99) it follows that the correlation between the WIAT-II composites and short-form

FSIQ will be virtually identical to the correlations between the WIAT-II composites and full-length FSIQ. Thus again the existing table in the WISC-IV technical and interpretive manual (Table B.11) can be used with the short-form FSIQ.

In conclusion, we believe the WISC-IV short-form developed in the present paper has a number of positive features: it yields short-form index scores (rather than just a Full Scale IQ), it has good psychometric properties (i.e., high reliabilities and high validity), and offers the same useful methods of analysis as those available for the full-length version. The provision of an accompanying computer program means that (a) the short-form can be scored and analyzed very rapidly, and (b) the risk of clerical error is minimized. Some clinicians or researchers will no doubt take issue with the particular subtests selected for the WISC-IV short-form. As the methods used to form, evaluate, score and analyze the short-form are stated explicitly this should allow others to develop alternative short-forms based on the same approach.

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Table 1. Summary statistics and basic psychometric properties of the index-based short-form of the WISC-IV

| Composite | Mean prior to<br>transformation | SD prior to<br>transformation | SEM of short-form<br>indexes (and FSIQ) | SEM <sub>t</sub> for true<br>scores | Reliability |             | <i>r</i> with<br>full-length<br>indexes |
|-----------|---------------------------------|-------------------------------|---|-------------------------------------|-------------|-------------|---|
|           |                                 |                               |   |                                     | Short-Form  | Full-Length |   |
| VC        | 20                              | 5.596                         | 4.025                                   | 3.735                               | 0.928       | 0.94        | 0.96                                    |
| PR        | 20                              | 5.282                         | 4.269                                   | 3.923                               | 0.919       | 0.92        | 0.93                                    |
| WM        | 10                              | 3.000                         | 5.408                                   | 4.705                               | 0.870       | 0.92        | 0.86                                    |
| PS        | 20                              | 5.248                         | 5.153                                   | 4.545                               | 0.882       | 0.88        | 1.00                                    |
| FSIQ      | 70                              | 14.855                        | 3.000                                   | 2.880                               | 0.960       | 0.97        | 0.99                                    |
| GAI       | 40                              | 9.721                         | 3.286                                   | 3.129                               | 0.952       | 0.96        | 0.97                                    |

Table 2. Table for converting the sum of subtest scores (SSS) on the **Vocabulary** and **Similarities** subtests to **Verbal Comprehension (VC)** short-form index scores and estimated true scores; 95% confidence limits on obtained index scores are also provided (limits on true scores are in brackets) as is the percentile corresponding to each index score

| SSS | Index Score | Est True score | Percentile | 95% CLs     |             |
|-----|-------------|----------------|------------|-------------|-------------|
|     |             |                |            | Lower limit | Upper limit |
| 2   | 52          | 55             | <0.1       | 44 ( 48)    | 60 ( 63)    |
| 3   | 54          | 58             | 0.1        | 47 ( 50)    | 62 ( 65)    |
| 4   | 57          | 60             | 0.2        | 49 ( 53)    | 65 ( 68)    |
| 5   | 60          | 63             | 0.4        | 52 ( 55)    | 68 ( 70)    |
| 6   | 62          | 65             | 0.6        | 55 ( 58)    | 70 ( 72)    |
| 7   | 65          | 68             | 1.0        | 57 ( 60)    | 73 ( 75)    |
| 8   | 68          | 70             | 2          | 60 ( 63)    | 76 ( 77)    |
| 9   | 71          | 73             | 3          | 63 ( 65)    | 78 ( 80)    |
| 10  | 73          | 75             | 4          | 65 ( 68)    | 81 ( 82)    |
| 11  | 76          | 78             | 5          | 68 ( 70)    | 84 ( 85)    |
| 12  | 79          | 80             | 8          | 71 ( 73)    | 86 ( 87)    |
| 13  | 81          | 83             | 10         | 73 ( 75)    | 89 ( 90)    |
| 14  | 84          | 85             | 14         | 76 ( 78)    | 92 ( 92)    |
| 15  | 87          | 88             | 19         | 79 ( 80)    | 94 ( 95)    |
| 16  | 89          | 90             | 23         | 81 ( 83)    | 97 ( 97)    |
| 17  | 92          | 93             | 30         | 84 ( 85)    | 100 (100)   |
| 18  | 95          | 95             | 37         | 87 ( 88)    | 103 (102)   |
| 19  | 97          | 98             | 42         | 89 ( 90)    | 105 (105)   |
| 20  | 100         | 100            | 50         | 92 ( 93)    | 108 (107)   |
| 21  | 103         | 102            | 58         | 95 ( 95)    | 111 (110)   |
| 22  | 105         | 105            | 63         | 97 ( 98)    | 113 (112)   |
| 23  | 108         | 107            | 70         | 100 (100)   | 116 (115)   |
| 24  | 111         | 110            | 77         | 103 (103)   | 119 (117)   |
| 25  | 113         | 112            | 81         | 106 (105)   | 121 (120)   |
| 26  | 116         | 115            | 86         | 108 (108)   | 124 (122)   |
| 27  | 119         | 117            | 90         | 111 (110)   | 127 (125)   |
| 28  | 121         | 120            | 92         | 114 (113)   | 129 (127)   |
| 29  | 124         | 122            | 95         | 116 (115)   | 132 (130)   |
| 30  | 127         | 125            | 96         | 119 (118)   | 135 (132)   |
| 31  | 129         | 127            | 97         | 122 (120)   | 137 (135)   |
| 32  | 132         | 130            | 98         | 124 (123)   | 140 (137)   |
| 33  | 135         | 132            | 99.0       | 127 (125)   | 143 (140)   |
| 34  | 138         | 135            | 99.4       | 130 (128)   | 145 (142)   |
| 35  | 140         | 137            | 99.6       | 132 (130)   | 148 (145)   |
| 36  | 143         | 140            | 99.8       | 135 (132)   | 151 (147)   |
| 37  | 146         | 142            | 99.9       | 138 (135)   | 153 (150)   |
| 38  | 148         | 145            | >99.9      | 140 (137)   | 156 (152)   |

Table 3. Table for converting the sum of subtest scores (SSS) on the **Block Design** and **Matrix Reasoning** subtests to **Perceptual Reasoning (PR)** short-form index scores and estimated true scores; 95% confidence limits on obtained index scores are also provided (limits on true scores are in brackets) as is the percentile corresponding to each index score

| SSS | Index Score | Est True score | Percentile | 95% CLs     |             |
|-----|-------------|----------------|------------|-------------|-------------|
|     |             |                |            | Lower limit | Upper limit |
| 2   | 49          | 53             | <0.1       | 41 ( 45)    | 57 ( 61)    |
| 3   | 52          | 56             | <0.1       | 43 ( 48)    | 60 ( 63)    |
| 4   | 55          | 58             | 0.1        | 46 ( 51)    | 63 ( 66)    |
| 5   | 57          | 61             | 0.2        | 49 ( 53)    | 66 ( 69)    |
| 6   | 60          | 63             | 0.4        | 52 ( 56)    | 69 ( 71)    |
| 7   | 63          | 66             | 0.7        | 55 ( 58)    | 71 ( 74)    |
| 8   | 66          | 69             | 1          | 58 ( 61)    | 74 ( 76)    |
| 9   | 69          | 71             | 2          | 60 ( 64)    | 77 ( 79)    |
| 10  | 72          | 74             | 3          | 63 ( 66)    | 80 ( 82)    |
| 11  | 74          | 77             | 4          | 66 ( 69)    | 83 ( 84)    |
| 12  | 77          | 79             | 6          | 69 ( 71)    | 86 ( 87)    |
| 13  | 80          | 82             | 9          | 72 ( 74)    | 88 ( 89)    |
| 14  | 83          | 84             | 13         | 75 ( 77)    | 91 ( 92)    |
| 15  | 86          | 87             | 18         | 77 ( 79)    | 94 ( 95)    |
| 16  | 89          | 90             | 23         | 80 ( 82)    | 97 ( 97)    |
| 17  | 91          | 92             | 27         | 83 ( 84)    | 100 (100)   |
| 18  | 94          | 95             | 34         | 86 ( 87)    | 103 (102)   |
| 19  | 97          | 97             | 42         | 89 ( 90)    | 106 (105)   |
| 20  | 100         | 100            | 50         | 92 ( 92)    | 108 (108)   |
| 21  | 103         | 103            | 58         | 94 ( 95)    | 111 (110)   |
| 22  | 106         | 105            | 66         | 97 ( 98)    | 114 (113)   |
| 23  | 109         | 108            | 73         | 100 (100)   | 117 (116)   |
| 24  | 111         | 110            | 77         | 103 (103)   | 120 (118)   |
| 25  | 114         | 113            | 82         | 106 (105)   | 123 (121)   |
| 26  | 117         | 116            | 87         | 109 (108)   | 125 (123)   |
| 27  | 120         | 118            | 91         | 112 (111)   | 128 (126)   |
| 28  | 123         | 121            | 94         | 114 (113)   | 131 (129)   |
| 29  | 126         | 123            | 96         | 117 (116)   | 134 (131)   |
| 30  | 128         | 126            | 97         | 120 (118)   | 137 (134)   |
| 31  | 131         | 129            | 98         | 123 (121)   | 140 (136)   |
| 32  | 134         | 131            | 99         | 126 (124)   | 142 (139)   |
| 33  | 137         | 134            | 99.3       | 129 (126)   | 145 (142)   |
| 34  | 140         | 137            | 99.6       | 131 (129)   | 148 (144)   |
| 35  | 143         | 139            | 99.8       | 134 (131)   | 151 (147)   |
| 36  | 145         | 142            | 99.9       | 137 (134)   | 154 (149)   |
| 37  | 148         | 144            | >99.9      | 140 (137)   | 157 (152)   |
| 38  | 151         | 147            | >99.9      | 143 (139)   | 159 (155)   |

Table 4. Table for converting scores (SSS) on the **Digit Span** subtest to **Working Memory (WM)** short-form index scores and estimated true scores; 95% confidence limits on obtained index scores are also provided (limits on true scores are in brackets) as is the percentile corresponding to each index score

| SSS | Index Score | True score | Percentiles | 95% CLs     |             |
|-----|-------------|------------|-------------|-------------|-------------|
|     |             |            |             | Lower limit | Upper limit |
| 1   | 55          | 61         | 0.1         | 44 ( 52)    | 66 ( 70)    |
| 2   | 60          | 65         | 0.4         | 49 ( 56)    | 71 ( 74)    |
| 3   | 65          | 70         | 1.0         | 54 ( 60)    | 76 ( 79)    |
| 4   | 70          | 74         | 2           | 59 ( 65)    | 81 ( 83)    |
| 5   | 75          | 78         | 5           | 64 ( 69)    | 86 ( 87)    |
| 6   | 80          | 83         | 9           | 69 ( 73)    | 91 ( 92)    |
| 7   | 85          | 87         | 16          | 74 ( 78)    | 96 ( 96)    |
| 8   | 90          | 91         | 25          | 79 ( 82)    | 101 (101)   |
| 9   | 95          | 96         | 37          | 84 ( 86)    | 106 (105)   |
| 10  | 100         | 100        | 50          | 89 ( 91)    | 111 (109)   |
| 11  | 105         | 104        | 63          | 94 ( 95)    | 116 (114)   |
| 12  | 110         | 109        | 75          | 99 ( 99)    | 121 (118)   |
| 13  | 115         | 113        | 84          | 104 (104)   | 126 (122)   |
| 14  | 120         | 117        | 91          | 109 (108)   | 131 (127)   |
| 15  | 125         | 122        | 95          | 114 (113)   | 136 (131)   |
| 16  | 130         | 126        | 98          | 119 (117)   | 141 (135)   |
| 17  | 135         | 130        | 99.0        | 124 (121)   | 146 (140)   |
| 18  | 140         | 135        | 99.6        | 129 (126)   | 151 (144)   |
| 19  | 145         | 139        | 99.9        | 134 (130)   | 156 (148)   |

Table 5. Table for converting the sum of subtest scores (SSS) on **Coding** and **Symbol Search** to **Processing Speed (PS)** short-form index scores and estimated true scores; 95% confidence limits on obtained index scores are also provided (limits on true scores are in brackets) as is the percentile corresponding to each index score

| SSS | Index Score | True score | Percentiles | 95% CLs     |             |
|-----|-------------|------------|-------------|-------------|-------------|
|     |             |            |             | Lower limit | Upper limit |
| 2   | 49          | 55         | <0.1        | 38 ( 46)    | 59 ( 64)    |
| 3   | 51          | 57         | <0.1        | 41 ( 48)    | 62 ( 66)    |
| 4   | 54          | 60         | 0.1         | 44 ( 51)    | 64 ( 69)    |
| 5   | 57          | 62         | 0.2         | 47 ( 53)    | 67 ( 71)    |
| 6   | 60          | 65         | 0.4         | 50 ( 56)    | 70 ( 74)    |
| 7   | 63          | 67         | 0.7         | 53 ( 58)    | 73 ( 76)    |
| 8   | 66          | 70         | 1           | 56 ( 61)    | 76 ( 79)    |
| 9   | 69          | 72         | 2           | 58 ( 63)    | 79 ( 81)    |
| 10  | 71          | 75         | 3           | 61 ( 66)    | 82 ( 84)    |
| 11  | 74          | 77         | 4           | 64 ( 68)    | 84 ( 86)    |
| 12  | 77          | 80         | 6           | 67 ( 71)    | 87 ( 89)    |
| 13  | 80          | 82         | 9           | 70 ( 73)    | 90 ( 91)    |
| 14  | 83          | 85         | 13          | 73 ( 76)    | 93 ( 94)    |
| 15  | 86          | 87         | 18          | 76 ( 78)    | 96 ( 96)    |
| 16  | 89          | 90         | 23          | 78 ( 81)    | 99 ( 99)    |
| 17  | 91          | 92         | 27          | 81 ( 84)    | 102 (101)   |
| 18  | 94          | 95         | 34          | 84 ( 86)    | 104 (104)   |
| 19  | 97          | 97         | 42          | 87 ( 89)    | 107 (106)   |
| 20  | 100         | 100        | 50          | 90 ( 91)    | 110 (109)   |
| 21  | 103         | 103        | 58          | 93 ( 94)    | 113 (111)   |
| 22  | 106         | 105        | 66          | 96 ( 96)    | 116 (114)   |
| 23  | 109         | 108        | 73          | 98 ( 99)    | 119 (116)   |
| 24  | 111         | 110        | 77          | 101 (101)   | 122 (119)   |
| 25  | 114         | 113        | 82          | 104 (104)   | 124 (122)   |
| 26  | 117         | 115        | 87          | 107 (106)   | 127 (124)   |
| 27  | 120         | 118        | 91          | 110 (109)   | 130 (127)   |
| 28  | 123         | 120        | 94          | 113 (111)   | 133 (129)   |
| 29  | 126         | 123        | 96          | 116 (114)   | 136 (132)   |
| 30  | 129         | 125        | 97          | 118 (116)   | 139 (134)   |
| 31  | 131         | 128        | 98          | 121 (119)   | 142 (137)   |
| 32  | 134         | 130        | 99          | 124 (121)   | 144 (139)   |
| 33  | 137         | 133        | 99.3        | 127 (124)   | 147 (142)   |
| 34  | 140         | 135        | 99.6        | 130 (126)   | 150 (144)   |
| 35  | 143         | 138        | 99.8        | 133 (129)   | 153 (147)   |
| 36  | 146         | 140        | 99.9        | 136 (131)   | 156 (149)   |
| 37  | 149         | 143        | >99.9       | 138 (134)   | 159 (152)   |
| 38  | 151         | 145        | >99.9       | 141 (136)   | 162 (154)   |

Table 6a. Table for converting the sum of subtest scores (SSS) on all seven subtests to short-form **FSIQ** scores and estimated true scores; 95% confidence limits on obtained FSIQ scores are also provided as is the percentile corresponding to each score – Part 1

| SSS       | IQ | ETS | Pcile | 95% CLs |    | SSS       | IQ  | ETS | Pcile | 95% CLs |     |
|-----------|----|-----|-------|---------|----|-----------|-----|-----|-------|---------|-----|
|           |    |     |       | L       | U  |           |     |     |       | L       | U   |
| <b>7</b>  | 37 | 39  | <0.1  | 31      | 42 | <b>43</b> | 73  | 74  | 4     | 67      | 79  |
| <b>8</b>  | 38 | 40  | <0.1  | 32      | 43 | <b>44</b> | 74  | 75  | 4     | 68      | 80  |
| <b>9</b>  | 39 | 41  | <0.1  | 33      | 44 | <b>45</b> | 75  | 76  | 5     | 69      | 81  |
| <b>10</b> | 40 | 42  | <0.1  | 34      | 45 | <b>46</b> | 76  | 77  | 5     | 70      | 82  |
| <b>11</b> | 41 | 43  | <0.1  | 35      | 46 | <b>47</b> | 77  | 78  | 6     | 71      | 83  |
| <b>12</b> | 42 | 44  | <0.1  | 36      | 47 | <b>48</b> | 78  | 79  | 7     | 72      | 84  |
| <b>13</b> | 43 | 45  | <0.1  | 37      | 48 | <b>49</b> | 79  | 80  | 8     | 73      | 85  |
| <b>14</b> | 44 | 46  | <0.1  | 38      | 49 | <b>50</b> | 80  | 81  | 9     | 74      | 86  |
| <b>15</b> | 45 | 47  | <0.1  | 39      | 50 | <b>51</b> | 81  | 82  | 10    | 75      | 87  |
| <b>16</b> | 46 | 48  | <0.1  | 40      | 51 | <b>52</b> | 82  | 83  | 12    | 76      | 88  |
| <b>17</b> | 47 | 49  | <0.1  | 41      | 52 | <b>53</b> | 83  | 84  | 13    | 77      | 89  |
| <b>18</b> | 48 | 50  | <0.1  | 42      | 53 | <b>54</b> | 84  | 85  | 14    | 78      | 90  |
| <b>19</b> | 49 | 51  | <0.1  | 43      | 54 | <b>55</b> | 85  | 85  | 16    | 79      | 91  |
| <b>20</b> | 50 | 52  | <0.1  | 44      | 55 | <b>56</b> | 86  | 86  | 18    | 80      | 92  |
| <b>21</b> | 51 | 53  | <0.1  | 45      | 57 | <b>57</b> | 87  | 87  | 19    | 81      | 93  |
| <b>22</b> | 52 | 54  | <0.1  | 46      | 58 | <b>58</b> | 88  | 88  | 21    | 82      | 94  |
| <b>23</b> | 53 | 55  | <0.1  | 47      | 59 | <b>59</b> | 89  | 89  | 23    | 83      | 95  |
| <b>24</b> | 54 | 55  | 0.1   | 48      | 60 | <b>60</b> | 90  | 90  | 25    | 84      | 96  |
| <b>25</b> | 55 | 56  | 0.1   | 49      | 61 | <b>61</b> | 91  | 91  | 27    | 85      | 97  |
| <b>26</b> | 56 | 57  | 0.2   | 50      | 62 | <b>62</b> | 92  | 92  | 30    | 86      | 98  |
| <b>27</b> | 57 | 58  | 0.2   | 51      | 63 | <b>63</b> | 93  | 93  | 32    | 87      | 99  |
| <b>28</b> | 58 | 59  | 0.3   | 52      | 64 | <b>64</b> | 94  | 94  | 34    | 88      | 100 |
| <b>29</b> | 59 | 60  | 0.3   | 53      | 65 | <b>65</b> | 95  | 95  | 37    | 89      | 101 |
| <b>30</b> | 60 | 61  | 0.4   | 54      | 66 | <b>66</b> | 96  | 96  | 39    | 90      | 102 |
| <b>31</b> | 61 | 62  | 0.5   | 55      | 67 | <b>67</b> | 97  | 97  | 42    | 91      | 103 |
| <b>32</b> | 62 | 63  | 0.6   | 56      | 68 | <b>68</b> | 98  | 98  | 45    | 92      | 104 |
| <b>33</b> | 63 | 64  | 0.7   | 57      | 69 | <b>69</b> | 99  | 99  | 47    | 93      | 105 |
| <b>34</b> | 64 | 65  | 0.8   | 58      | 70 | <b>70</b> | 100 | 100 | 50    | 94      | 106 |
| <b>35</b> | 65 | 66  | 1.0   | 59      | 71 | <b>71</b> | 101 | 101 | 53    | 95      | 107 |
| <b>36</b> | 66 | 67  | 1     | 60      | 72 | <b>72</b> | 102 | 102 | 55    | 96      | 108 |
| <b>37</b> | 67 | 68  | 1     | 61      | 73 | <b>73</b> | 103 | 103 | 58    | 97      | 109 |
| <b>38</b> | 68 | 69  | 2     | 62      | 74 | <b>74</b> | 104 | 104 | 61    | 98      | 110 |
| <b>39</b> | 69 | 70  | 2     | 63      | 75 | <b>75</b> | 105 | 105 | 63    | 99      | 111 |
| <b>40</b> | 70 | 71  | 2     | 64      | 76 | <b>76</b> | 106 | 106 | 66    | 100     | 112 |
| <b>41</b> | 71 | 72  | 3     | 65      | 77 | <b>77</b> | 107 | 107 | 68    | 101     | 113 |
| <b>42</b> | 72 | 73  | 3     | 66      | 78 | <b>78</b> | 108 | 108 | 70    | 102     | 114 |

Table 6b. Table for converting the sum of subtest scores (SSS) on all seven subtests to short-form **FSIQ** scores and estimated true scores; 95% confidence limits on FSIQ scores are also provided as is the percentile corresponding to each score – Part 2

| SSS        | IQ  | ETS | Pcile | 95% CLs |     | SSS        | IQ  | ETS | Pcile | 95% CLs |     |
|------------|-----|-----|-------|---------|-----|------------|-----|-----|-------|---------|-----|
|            |     |     |       | L       | U   |            |     |     |       | L       | U   |
| <b>79</b>  | 109 | 109 | 73    | 103     | 115 | <b>115</b> | 145 | 144 | 99.9  | 139     | 151 |
| <b>80</b>  | 110 | 110 | 75    | 104     | 116 | <b>116</b> | 146 | 145 | 99.9  | 140     | 152 |
| <b>81</b>  | 111 | 111 | 77    | 105     | 117 | <b>117</b> | 147 | 145 | >99.9 | 141     | 153 |
| <b>82</b>  | 112 | 112 | 79    | 106     | 118 | <b>118</b> | 148 | 146 | >99.9 | 142     | 154 |
| <b>83</b>  | 113 | 113 | 81    | 107     | 119 | <b>119</b> | 149 | 147 | >99.9 | 143     | 155 |
| <b>84</b>  | 114 | 114 | 82    | 108     | 120 | <b>120</b> | 150 | 148 | >99.9 | 145     | 156 |
| <b>85</b>  | 115 | 115 | 84    | 109     | 121 | <b>121</b> | 151 | 149 | >99.9 | 146     | 157 |
| <b>86</b>  | 116 | 115 | 86    | 110     | 122 | <b>122</b> | 152 | 150 | >99.9 | 147     | 158 |
| <b>87</b>  | 117 | 116 | 87    | 111     | 123 | <b>123</b> | 153 | 151 | >99.9 | 148     | 159 |
| <b>88</b>  | 118 | 117 | 88    | 112     | 124 | <b>124</b> | 154 | 152 | >99.9 | 149     | 160 |
| <b>89</b>  | 119 | 118 | 90    | 113     | 125 | <b>125</b> | 155 | 153 | >99.9 | 150     | 161 |
| <b>90</b>  | 120 | 119 | 91    | 114     | 126 | <b>126</b> | 156 | 154 | >99.9 | 151     | 162 |
| <b>91</b>  | 121 | 120 | 92    | 115     | 127 | <b>127</b> | 157 | 155 | >99.9 | 152     | 163 |
| <b>92</b>  | 122 | 121 | 93    | 116     | 128 | <b>128</b> | 158 | 156 | >99.9 | 153     | 164 |
| <b>93</b>  | 123 | 122 | 94    | 117     | 129 | <b>129</b> | 159 | 157 | >99.9 | 154     | 165 |
| <b>94</b>  | 124 | 123 | 95    | 118     | 130 | <b>130</b> | 160 | 158 | >99.9 | 155     | 166 |
| <b>95</b>  | 125 | 124 | 95    | 119     | 131 | <b>131</b> | 161 | 159 | >99.9 | 156     | 167 |
| <b>96</b>  | 126 | 125 | 96    | 120     | 132 | <b>132</b> | 162 | 160 | >99.9 | 157     | 168 |
| <b>97</b>  | 127 | 126 | 96    | 121     | 133 | <b>133</b> | 163 | 161 | >99.9 | 158     | 169 |
| <b>98</b>  | 128 | 127 | 97    | 122     | 134 |            |     |     |       |         |     |
| <b>99</b>  | 129 | 128 | 97    | 123     | 135 |            |     |     |       |         |     |
| <b>100</b> | 130 | 129 | 98    | 124     | 136 |            |     |     |       |         |     |
| <b>101</b> | 131 | 130 | 98    | 125     | 137 |            |     |     |       |         |     |
| <b>102</b> | 132 | 131 | 98    | 126     | 138 |            |     |     |       |         |     |
| <b>103</b> | 133 | 132 | 99    | 127     | 139 |            |     |     |       |         |     |
| <b>104</b> | 134 | 133 | 99    | 128     | 140 |            |     |     |       |         |     |
| <b>105</b> | 135 | 134 | 99.0  | 129     | 141 |            |     |     |       |         |     |
| <b>106</b> | 136 | 135 | 99.2  | 130     | 142 |            |     |     |       |         |     |
| <b>107</b> | 137 | 136 | 99.3  | 131     | 143 |            |     |     |       |         |     |
| <b>108</b> | 138 | 137 | 99.4  | 132     | 144 |            |     |     |       |         |     |
| <b>109</b> | 139 | 138 | 99.5  | 133     | 145 |            |     |     |       |         |     |
| <b>110</b> | 140 | 139 | 99.6  | 134     | 146 |            |     |     |       |         |     |
| <b>111</b> | 141 | 140 | 99.7  | 135     | 147 |            |     |     |       |         |     |
| <b>112</b> | 142 | 141 | 99.7  | 136     | 148 |            |     |     |       |         |     |
| <b>113</b> | 143 | 142 | 99.8  | 137     | 149 |            |     |     |       |         |     |
| <b>114</b> | 144 | 143 | 99.8  | 138     | 150 |            |     |     |       |         |     |

Table 7. Standard errors of measurement of the difference for observed scores and true scores, and standard deviations of the difference between short-form indexes (the equivalent statistics for comparison of short-form FSIQ and GAI are also included)

| Indexes      | SEM <sub>D</sub> for observed<br>scores | SEM <sub>D</sub> for true<br>scores | SD of the<br>difference |
|--------------|---|-------------------------------------|-------------------------|
| VC and PR    | 5.867                                   | 5.417                               | 13.467                  |
| VC and WM    | 6.742                                   | 6.008                               | 15.959                  |
| VC and PS    | 6.538                                   | 5.863                               | 16.197                  |
| PR and WM    | 6.890                                   | 6.126                               | 16.225                  |
| PR and PS    | 6.691                                   | 6.004                               | 14.955                  |
| WM and PS    | 7.470                                   | 6.542                               | 17.710                  |
| FSIQ and GAI | 4.450                                   | 4.252                               | 5.450                   |

Table 8. Critical values (two-tailed) for determining the reliability of differences between short-form indexes using either observed scores or estimated true scores (the equivalent values for comparison of short-form FSIQ and GAI are also included)

|              | Critical values for <b>observed</b> scores |       |       |       | Critical values for estimated <b>true</b> scores |      |       |       |       |
|--------------|--|-------|-------|-------|--|------|-------|-------|-------|
|              | <i>p</i>                                   | .15   | .10   | .05   | .01  | .15  | .10   | .05   | .01   |
| VC and PR    |  | 8.45  | 9.65  | 11.50 | 15.11  | 7.80 | 8.91  | 10.62 | 13.95 |
| VC and WM    |  | 9.71  | 11.09 | 13.21 | 17.37  | 8.65 | 9.88  | 11.78 | 15.48 |
| VC and PS    |  | 9.41  | 10.76 | 12.81 | 16.84  | 8.44 | 9.64  | 11.49 | 15.10 |
| PR and WM    |  | 9.92  | 11.33 | 13.50 | 17.75  | 8.82 | 10.08 | 12.01 | 15.78 |
| PR and PS    |  | 9.64  | 11.01 | 13.11 | 17.24  | 8.65 | 9.88  | 11.77 | 15.47 |
| WM and PS    |  | 10.76 | 12.29 | 14.64 | 19.24  | 9.42 | 10.76 | 12.82 | 16.85 |
| FSIQ and GAI |  | 6.41  | 7.32  | 8.72  | 11.46  | 6.12 | 6.99  | 8.33  | 10.95 |

Table 9. Difference between short-form indexes required to exceed various percentage of the normative population (the equivalent statistics for comparison of short-form FSIQ and GAI are also included)

|              | Difference required to exceed specified percentage of |     |    |    | Difference required to exceed specified percentage of |     |    |    |
|--------------|---|-----|----|----|---|-----|----|----|
|              | population – <b>absolute difference</b>               |     |    |    | population – <b>directional difference</b>            |     |    |    |
|              | 15%   | 10% | 5% | 1% | 15%   | 10% | 5% | 1% |
| VC and PR    | 20  | 23  | 27 | 35 | 14  | 18  | 23 | 32 |
| VC and WM    | 23  | 27  | 32 | 42 | 17  | 21  | 27 | 37 |
| VC and PS    | 24  | 27  | 32 | 42 | 17  | 21  | 27 | 38 |
| PR and WM    | 24  | 27  | 32 | 42 | 17  | 21  | 27 | 38 |
| PR and PS    | 22  | 25  | 30 | 39 | 16  | 20  | 25 | 35 |
| WM and PS    | 26  | 30  | 35 | 46 | 19  | 23  | 35 | 46 |
| FSIQ and GAI | 8   | 9   | 11 | 14 | 6   | 7   | 9  | 13 |

Table 10. Base rate data for the number of abnormally low index scores and abnormally large index score differences

(a) Percentage of the normative population expected to exhibit at least  $j$  abnormally low Index scores on the short-form WISC-IV; three definitions of abnormality are used ranging from below the 15<sup>th</sup> percentile to below the 5<sup>th</sup> percentile

| Criterion for abnormality | Percentage exhibiting $j$ or more abnormally low WISC-IV short-form index scores |             |             |             |
|---------------------------|--|-------------|-------------|-------------|
|                           | 1  | 2           | 3           | 4           |
|                           | <15 <sup>th</sup>  | 37.05       | 15.56       | 5.99        |
| <10 <sup>th</sup>         | 26.82  | 9.43        | 3.15        | 0.66        |
| <5 <sup>th</sup>          | <b>14.91</b>   | <b>3.92</b> | <b>1.04</b> | <b>0.17</b> |

(b) Percentage of the normative population expected to exhibit  $j$  or more abnormal pairwise differences, regardless of sign, between short-form index scores on the WISC-IV; three definitions of abnormality are used ranging from a difference exhibited by less than 15% of the population to a difference exhibited by less than 5%.

| Criterion for abnormality | Percentage exhibiting $j$ or more abnormal pairwise differences (regardless of sign) between WISC-IV short-form indexes |             |             |             |             |             |
|---------------------------|---|-------------|-------------|-------------|-------------|-------------|
|                           | 1   | 2           | 3           | 4           | 5           | 6           |
| <15%                      | 47.18   | 28.05       | 12.42       | 2.21        | 0.15        | 0.00        |
| <10%                      | 35.05   | 17.73       | 6.37        | 0.84        | 0.03        | 0.00        |
| <5%                       | <b>20.12</b>  | <b>7.72</b> | <b>2.00</b> | <b>0.16</b> | <b>0.00</b> | <b>0.00</b> |

Figure 1. Illustrative example of results from applying the WISC-IV short-form

**(a)**

Short-Form Index scores plus confidence limits (score is also expressed as a percentile):

| Index                 | Score | (95% CI Traditional) | Percentile | ( 95% CI )       |
|-----------------------|-------|----------------------|------------|------------------|
| Verbal Comprehension  | 113   | ( 106 to 121 )       | 81.4       | ( 64.3 to 92.2 ) |
| Perceptual Reasoning  | 111   | ( 103 to 120 )       | 77.6       | ( 57.9 to 90.6 ) |
| Working Memory        | 80    | ( 69 to 91 )         | 9.1        | ( 2.1 to 26.5 )  |
| Processing Speed      | 69    | ( 58 to 79 )         | 1.8        | ( 0.3 to 7.7 )   |
| Full Scale IQ         | 94    | ( 88 to 100 )        | 34.3       | ( 23.3 to 49.5 ) |
| General Ability Index | 114   | ( 107 to 120 )       | 82.3       | ( 69.0 to 91.2 ) |

NUMBER of case's Index scores classified as abnormally low = 1

PERCENTAGE of normal population expected to exhibit this number or more of abnormally low scores: Percentage = 14.91%

**(b)**

RELIABILITY of differences between Short-Form Indices:

| Index Pair      | Difference | One-tailed <i>p</i> | Two-tailed <i>p</i> |
|-----------------|------------|---------------------|---------------------|
| VC versus PR    | 2          | 0.364               | 0.728               |
| VC versus WM    | 33         | 0.000               | 0.000               |
| VC versus PS    | 45         | 0.000               | 0.000               |
| PR versus WM    | 31         | 0.000               | 0.000               |
| PR versus PS    | 43         | 0.000               | 0.000               |
| WM versus PS    | 11         | 0.063               | 0.126               |
| FSIQ versus GAI | -20        | 0.000               | 0.000               |

**(c)**

ABNORMALITY of differences between Short-Form Indices, i.e., percentage of population estimated to obtain a larger difference in same direction (figure in brackets is percentage regardless of sign) :

| Index Pair      | Difference | %age of population | (%age regardless of sign) |
|-----------------|------------|--------------------|---------------------------|
| VC versus PR    | 2          | 43.972%            | ( 87.941% )               |
| VC versus WM    | 33         | 1.818%             | ( 3.635% )                |
| VC versus PS    | 45         | 0.282%             | ( 0.563% )                |
| PR versus WM    | 31         | 2.663%             | ( 5.326% )                |
| PR versus PS    | 43         | 0.211%             | ( 0.421% )                |
| WM versus PS    | 11         | 25.914%            | ( 51.829% )               |
| FSIQ versus GAI | -20        | 0.013%             | ( 0.025% )                |

NUMBER of case's pairwise differences (regardless of sign) that meet criterion for abnormality = 3

PERCENTAGE of normal population expected to exhibit this number or more of abnormal differences=2.00%

MAHALANOBIS DISTANCE Index of the overall abnormality of the case's Index score profile:

Chi-square = 13.059, *p* value = 0.01099